

A Simple Weir Structure Floodflow Bypass Analysis Program

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ABSTRACT

A simple interactive weir structure floodflow bypass analysis program is developed to estimate the amount of water that will spill over a weir wall for a given inflow into the channel. This provides the user the ability to estimate the optimum weir wall height to meet the design requirements, by calculating the channel outflow and weir capture flows for a given channel inflow. Use of this program aids in developing a cost-to-benefit curve for subsequent optimization. The purpose of this paper is to provide information on the use and practical application of the weir overflow analysis program. A detailed example of how this program works is provided in the example problem by showing how the program was implemented into the design of the Galivan Retarding Basin.

INTRODUCTION

Use of the weir overflow analysis program provides the ability to create a cost-to-benefit curve. The advantage of developing a cost-to-benefit curve is that the optimum design in terms of efficiency and cost is determined. In the case of the Galivan Retarding Basin, the cost of excavation of the basin was compared with the cost of construction of the weir wall. The cost-to-benefit curve indicates the optimum weir length and excavation of the retarding basin.

In the following example problem, a method for developing a cost-to-benefit curve is described. The example problem's design purpose is to transfer excess flows from Oso Creek into the Galivan Retarding Basin via a weir structure. The design conditions are to restrict the Q_{100} flows of 8700 cfs to 4200 cfs, transferring 4500 cfs into the retarding basin (see Fig. 1). Since Oso Creek is to be fully developed as a rectangular channel, it was decided to place a weir wall within the channel with an optimum height and length.

EXAMPLE PROBLEM:

OPTIMIZING BASIN EXCAVATION VS. WEIR STRUCTURE COSTS

Use of an optimum weir length will result in less excess flows being transferred into the basin, resulting in less excavation. Since Oso Creek parallels the retarding basin and continues to extend upstream from the basin in a straight line, the opportunity to design an optimum weir length is available (see Fig. 2).

The length of the weir was determined by comparing the cost of excavation and any savings realized in excavation by the reduction in excess flows with the cost of any given weir length. This was accomplished by first calculating the cost of construction of various weir lengths and heights. To achieve this, the following equation was used:

$$c \left(\frac{hw}{27} \right) = C$$

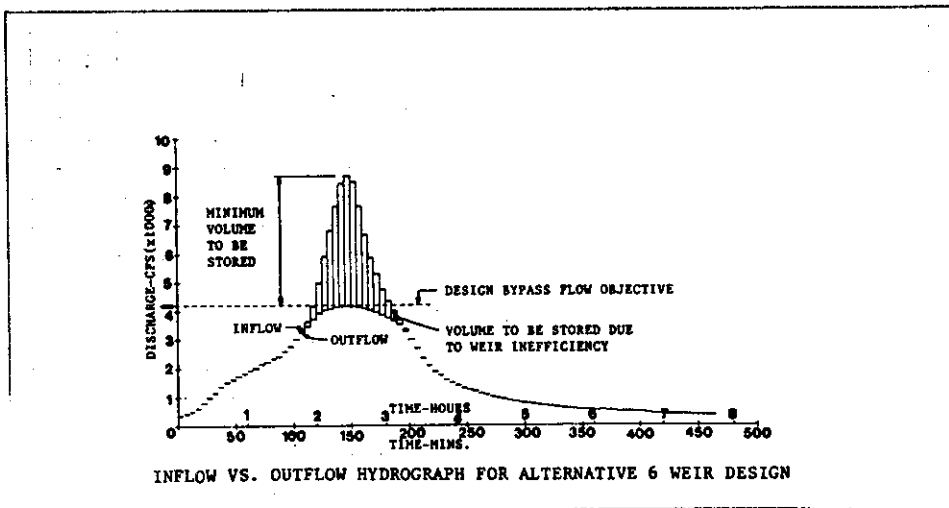


Fig. 1. Inflow vs. Outflow for Galivan Retarding Basin

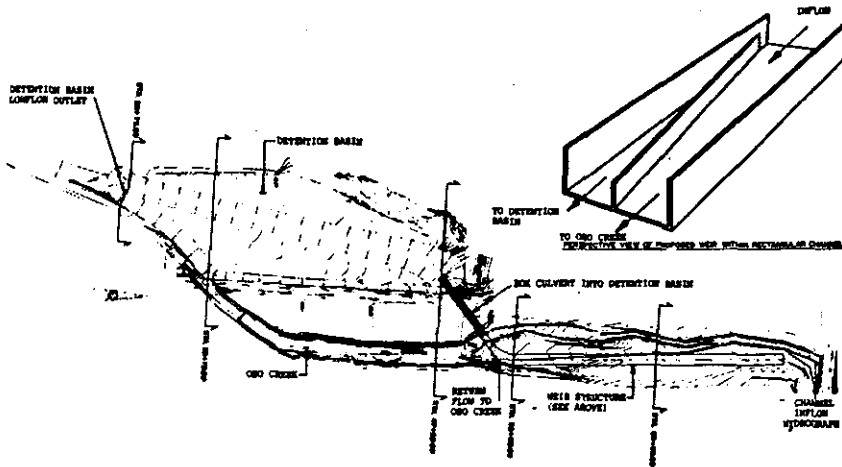


Fig. 2. Plan view of weir structure and detention of basin system

where

- c = cost of concrete and rebar per cubic yard (approx. \$250)
- h = height of weir wall (varies with length)
- w = width of weir wall (1.5 foot)
- l = length of weir wall
- C = cost of weir wall

After selecting several arbitrary weir lengths their corresponding optimum weir heights were estimated by varying the weir height in the hydraulic calculations for each arbitrary weir length chosen. The weir height selected was the one which allowed flows closest to but not exceeding 4200 cfs to pass by the weir.

The results were plotted on the Cost Optimization figure (Fig. 3) and are represented by the solid straight line. It should be noted that as the length of the weir wall increased, the height of the weir wall also increased. With the increased height, only flows closer to the peak flow would be able to travel over the weir. With the increased length less excess flows were captured.

Second, the cost of excavation based upon weir length was calculated. This was accomplished by choosing several weir lengths and calculating the volume of water that would flow over in each case. This volume of water indicated the amount of storage necessary. From this information the amount of excavation per cubic yard of dirt could be calculated. Once calculated, the result was plotted on the Cost Optimization figure and are represented by the solid curved line.

Finally, the costs of both weir construction and excavation per weir length were added together. The results were plotted on the Cost Optimization figure and are represented by the dashed curved line. The lowest point on this curve represents the optimum costs vs. weir length and indicates the optimum weir length to be approximately 850 LF. With the optimum weir length chosen, the optimum weir height could be estimated. It was shown that, with $S_0 = 0.0040$ and a weir coefficient of 3.0, the optimum weir height for the 850-foot weir is 5.05.

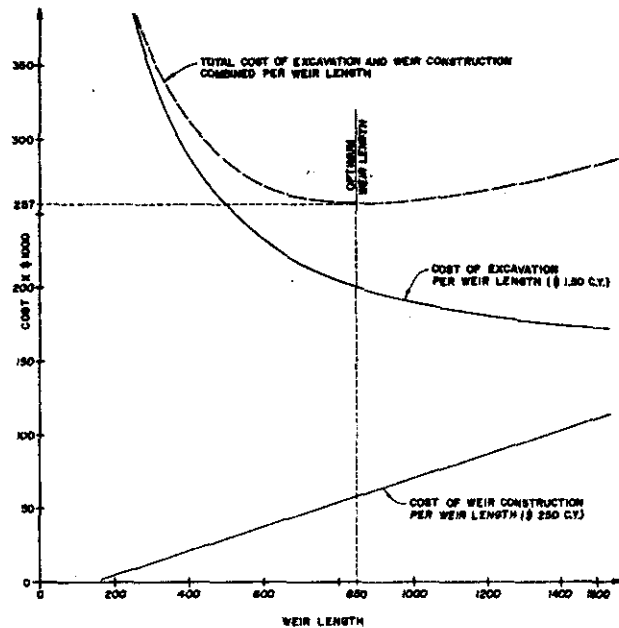


Fig. 3. Cost Optimization Figure

WEIR PROGRAM DESCRIPTION

The weir program solves for the continuity equation along segments of the weir by balancing the inflow of water to the segment to the outflow of water from the segment due to flow over the segment's weir structure.

The weir structure geometry is assumed to be composed of simple straightline transitions (see Fig. 4). The weir structure is of a constant height and the continuing channel is of constant slope, so the channel width varies linearly from a beginning width to a terminating width. Finally, flows over the weir are assumed given by the weir relationship of

$$Q_i = C W_i d^{1.5} \quad (1)$$

where

- Q_i = weir flow over segment i
- C = constant weir coefficient $0 < C < 3.09$
- W_i = width of segment i
- d = flowdepth of water above weir at segment i

The program initiates by checking the minimal flow through the channel system assuming normal depth. If the entered flowrate can pass through the weir structure without overflow, the program returns to the main menu of commands.

If the entered flowrate does encounter weir overflow, the overflow is estimated using the weir flow relationship of (1) and Fig. 4. Based on the entered segment width length, the weir structure is subdivided into segments for sequential analysis. On a segment-by-segment basis, the weir overflow is estimated by use of (1) and the flowdepth corresponding to normal depth in the rectangular channel cross-section based on the channel slope, flowrate, Manning's friction factor, and channel width. After estimating Q_i , this flowrate is subtracted from the segment's upstream flowrate to produce the next segment's upstream flowrate. Proceeding in this fashion, the analysis proceeds downstream until the flowrate is either less than the capacity of the channel (without weir overflows), or the end of the structure is reached. The example problem illustrates the calculations.

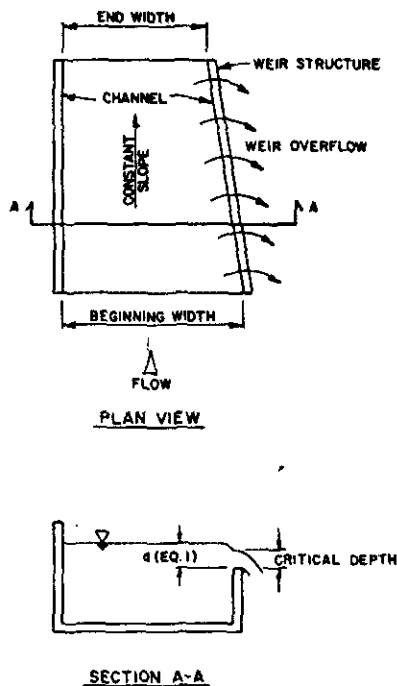


Fig. 4. Weir Structure Geometry

The program returns the user to the main menu after each analysis in order to provide an interactive mode.

PROGRAM-READ-WRITE UNITS

The program is set up for the following unit numbers in the format statements:

TABLE 1. WEIR PROGRAM UNIT DESCRIPTIONS

Unit Number	Description
10	Write to CRT
11	Read from CRT

EXAMPLE PROBLEM

A weir structure has the following dimensions and data:

weir structure length	100 feet
channel slope	0.0050 feet/feet
weir structure beginning width	30 feet
weir structure end width	20 feet
channel Manning's friction factor	0.015
weir height	4.0 feet
weir coefficient	2.5

After accepting the weir structure data entries, a flow value is entered for subsequent analysis. For this example, a flow of 500 cfs and a segment spacing of 10 feet results in a maximum normal depth of 2.332 feet which is less than the 4-foot weir height; hence, no weir overflow is estimated.

For 2,000 cfs (and a segment spacing of 10 feet), however, the following results are developed:

TABLE 2. EXAMPLE PROBLEM RESULTS

Distance From Start (feet)	Flowrate (cfs)	Channel Width (feet)	Excess Height (feet)	Spillover (cfs)
-1-	-2-	-3-	-4-	-5-
0.0	2000.0	30.0	0.26	3.3
10.0	1996.7	29.0	0.38	5.9
20.0	1990.8	28.0	0.48	8.3
30.0	1982.5	27.0	0.60	11.7
40.0	1970.8	26.0	0.72	15.4
50.0	1955.4	25.0	0.85	19.5
60.0	1935.9	24.0	0.97	23.8
70.0	1912.1	23.0	1.12	29.4
80.0	1882.7	22.0	1.24	34.4
90.0	1848.3	21.0	1.38	40.7

In the above tabulation, it is seen that the weir program calculations are based on the segments upstream normal depth hydraulics. Consequently, for the first segment, normal depth is calculated at column -1- using the flowrate of column -2- and channel width of column -3-. For the first segment, normal depth at the upstream end is 4.26 feet; hence, 0.26 foot of flowdepth is above the weir. For $C=2.5$, equation (1) gives a spillover of 3.3 cfs (column -5-). The 2000 cfs flowrate is then reduced to 1996.7 cfs (column -2-).

By using different segment widths, calculation effort varies, and so does relative accuracy. Table 3 compares the output results for several segment sizes.

TABLE 3. WEIR PROGRAM RESULTS VS. SEGMENT WIDTHS (Example Problem)

Segment Width (ft)	Number of Segments	Final Outflow (cfs)
100	1	1966.8
50	2	1877.6
25	4	1831.8
10	10	1807.6
5	20	1798.4
1	100	1792.0
0.10	1000	1789.7

APPENDIX: WEIR OVERFLOW PROGRAM

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C      PROGRAM TO ESTIMATE CONTINUITY EQUATION FOR WEIR OVERFLOW
C
1000  CONTINUE
1001  WRITE(10,1001)
1001  C  FORMAT(10X,"THIS PROGRAM ESTIMATES THE CONTINUITY",//
C      10X,"EQUATION FOR FLOW OVER A WEIR",//)
1002  WRITE(10,1002)
1002  C  FORMAT(10X,"ENTER WEIR STRUCTURE LENGTH (FEET):",//)
1003  READ FREE(11)XL
1003  WRITE(10,1003)
1003  C  FORMAT(10X,"ENTER WEIR STRUCTURE CHANNEL SLOPE (FT/FT) ("//
1004  READ FREE(11)S0
1004  WRITE(10,1004)
1004  C  FORMAT(10X,"ENTER WEIR STRUCTURE CHANNEL BEGINNING",
C      " WIDTH (FEET) ("//)
1005  READ FREE(11)W1
1005  WRITE(10,1005)
1005  C  FORMAT(10X,"ENTER WEIR STRUCTURE CHANNEL END WIDTH (FEET) ("//)
1006  READ FREE(11)W2
1006  WRITE(10,1006)
1006  C  FORMAT(10X,"ENTER WEIR STRUCTURE CHANNEL HANNINGS ",
C      " FACTOR: ",//)
1007  READ FREE(11)XN
1007  WRITE(10,1007)
1007  C  FORMAT(10X,"ENTER WEIR HEIGHT (FEET) ("//)
1008  READ FREE(11)H
1008  WRITE(10,1008)
1008  C  FORMAT(10X,"ENTER WEIR COEFFICIENT ("//)
1009  READ FREE(11)XC
1009  WRITE(10,1009)
1009  C  FORMAT(10X,"ENTERED DATA: ",//)
1009  C  10X,"WEIR LENGTH (FEET) = ",F10.3,//
1009  C  10X,"CHANNEL SLOPE (FEET/FEET) = ",F10.3,//
1009  C  10X,"BEGINNING CHANNEL WIDTH (FEET) = ",F10.3,//
1009  C  10X,"END CHANNEL WIDTH (FEET) = ",F10.3,//
1009  C  10X,"CHANNEL HANNINGS FACTOR = ",F10.3,//
1009  C  10X,"WEIR HEIGHT (FEET) = ",F10.3,//
1009  C  10X,"WEIR COEFFICIENT = ",F10.3,//
1009  C  10X,"ENTER DATA OPTION NUMBER: ",//
1009  C  5X,"1 = ACCEPT DATA AND CONTINUE",//
1009  C  5X,"2 = REJECT DATA AND REENTER DATA VALUES",//
1009  C  5X,"3 = EXIT PROGRAM",//)
1009  READ FREE(11)KOPT
1009  IF (KOPT.EQ.3)GOTO 10000
1009  IF (KOPT.EQ.2)GOTO 100
200  CONTINUE
1009  WRITE(10,1009)
1009  C  FORMAT(10X,"ENTER PROGRAM OPTION NUMBER:",//)
1009  C  5X,"1 = ENTER FLOW VALUE INTO STRUCTURE",//
1009  C  5X,"2 = REDFINE WEIR STRUCTURE SYSTEM",//
1009  C  5X,"3 = EXIT PROGRAM",//)
1009  READ FREE(11)KOPT
1009  IF (KOPT.EQ.3)GOTO 100
1009  IF (KOPT.EQ.2)GOTO 10000
1010  WRITE(10,1010)
1010  C  FORMAT(10X,"ENTER WEIR STRUCTURE INFLOW (CFS):",//)
1011  READ FREE(11)Q
1011  WRITE(10,1011)
1011  C  FORMAT(10X,"ENTER CALCULATION SPACING ALONG WEIR (FEET) ("//)
1012  READ FREE(11)DS
1012  WRITE(10,1012)
1012  C  CALL TWORNA(S0,Q,0.,W2,XN,V,10,DS,100.)
1012  IF (DS.GT.W)GOTO 210
1012  WRITE(10,1012)
1012  C  5X,"WEIR HEIGHT OF ",F10.3," IS LESS THAN",//
1012  C  5X,"WEIR HEIGHT OF ",F10.3,"..... FLOW PASSES THROUGH STRUCTURE."//)
1012  GOTO 200
C.....FLOW SPILLS OVER WEIR.....
210  DN=(W2-W1)/XL
DN=DN*DS
C.....INITIALIZE DO-LOOP VARIABLES
WT=W1-DN
DQ=0.
QQ=0.
XSUN=QQ
1019  WRITE(10,1019)
1019  C  FORMAT(11X,"DISTANCE FLOWRATE CHANNEL EXCESS SPILLOVER"
C      //,10X,"FROM START (CFS) WIDTH HEIGHT (CFS)"//)
250  CONTINUE
WT=WT-DN
QQ=QQ+DQ
XSUN=XSUN+DQ
IF (XSUN.LT.W)GOTO 260
GOTO 200
260  CALL TWORNA(S0,QQ,0.,WT,XN,V,10,DS,100.)
DN=DN*DS
DQ=DQ-DN
IF (DQ.LE.0.)GOTO 250
DQ=K*DN*1.5
WRITE(10,1020)XSUN,QQ,WT,DS,DQ
1020  FORMAT(10X,F10.3)
GOTO 250
10000  CONTINUE
STOP
END

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