

Irregular Channel Hydraulics for Subcritical Flow

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Abstract

Steady flow in irregular channels is a commonly occurring problem in flood control. In this paper is developed a FORTRAN computer program for the analysis of either supercritical or subcritical steady flow in an irregular channel. The computer output is presented in a form manner, with various hydraulic flow variables included such as pressure-plus-momentum, among others.

1. Introduction

The study of open channel flow hydraulics requires an understanding of the fundamental principles embodied in the conservation of mass, momentum, and energy. Consequently, the basic definitions and equations need to be presented prior to developing the detailed computer software which can be applied to solving engineering problems. In the following, the necessary fundamentals of open channel hydraulics is briefly reviewed. These concepts will then be extended towards the development of comprehensive microcomputer software for the analysis of steady and unsteady flow in open channels.

2. Conservation of Mass, Momentum, and Energy

The study of open channel flow hydraulics is based upon the three conservation laws of mass, momentum, and energy. These laws are applicable to a specified quantity of matter (or system) which preserves its identity while undergoing a change in position, energy level, or other conditions.

The usual application of these laws is to develop integral equations which express the fundamental principles with respect to fluid flow through a control volume. The integral equations can be directly applied to flow problems or rewritten in terms of partial differential equations to analyze the interior of the fluid.

2.1. Conservation of Mass

For a fixed control volume Ω enclosed by the surface Γ , the integral form of the conservation of mass is given in vector notation by

$$\int_{\Gamma} \rho \mathbf{V} \cdot d\mathbf{A} + \frac{\partial}{\partial t} \int_{\Omega} \rho \, d\Omega = 0 \quad (1)$$

where \mathbf{V} is the velocity vector with respect to the Cartesian coordinate system, and $d\mathbf{A}$ is the outward normal vector of Γ with magnitude dA . For steady flow the time derivative is zero, giving

$$\int_{\Gamma} \rho \mathbf{V} \cdot d\mathbf{A} = 0 \quad (2)$$

For incompressible flow

$$\int_{\Gamma} \mathbf{V} \cdot d\mathbf{A} = 0 \quad (3)$$

The differential equation form of mass conservation is often used in open channel flow hydraulics. This form is

obtained by application of Gauss' theorem to (1) giving

$$\frac{\partial \rho}{\partial t} + \frac{\partial}{\partial x} (\rho u) + \frac{\partial}{\partial y} (\rho v) + \frac{\partial}{\partial z} (\rho w) = 0 \quad (4)$$

where (u, v, w) are the (x, y, z) directional flow velocities. For steady, incompressible flow (4) reduces to

$$\frac{\partial u}{\partial x} + \frac{\partial v}{\partial y} + \frac{\partial w}{\partial z} = 0 \quad (5)$$

2.2. Conservation of Momentum

Newton's second law of motion relates the net force \mathbf{F} acting upon a system to the change in momentum \mathbf{M} by

$$\mathbf{F} = \frac{d\mathbf{M}}{dt} \quad (6)$$

With respect to the fixed control volume Ω , (6) can be in integral form as

$$\int_{\Gamma} \mathbf{V} \rho \mathbf{V} \cdot d\mathbf{A} + \frac{\partial}{\partial t} \int_{\Omega} \mathbf{V} \rho \, d\Omega = \mathbf{F} \quad (7)$$

The \mathbf{F} vector is composed of pressure and shear forces acting upon the surface of the system (\mathbf{F}_s), and the body force vector (\mathbf{B}) which relates body forces (such as gravity) per unit volume of the system. Using \mathbf{F}_s and \mathbf{B} , (7) is rewritten as

$$\int_{\Gamma} \mathbf{V} \rho \mathbf{V} \cdot d\mathbf{A} + \frac{\partial}{\partial t} \int_{\Omega} \mathbf{V} \rho \, d\Omega = \mathbf{F}_s + \int_{\Omega} \mathbf{B} \, d\Omega \quad (8)$$

For steady flow, (8) becomes

$$\int_{\Gamma} \mathbf{V} \rho \mathbf{V} \cdot d\mathbf{A} = \mathbf{F}_s + \int_{\Omega} \mathbf{B} \, d\Omega \quad (9)$$

An important application of (9) is when the fluid crosses Γ at only one point of entrance (point 1) and exit (point 2). Assuming entrance and exit areas, then (9) becomes

$$\begin{aligned} \Sigma F_x &= \dot{M}(u_2 - u_1) \\ \Sigma F_y &= \dot{M}(v_2 - v_1) \\ \Sigma F_z &= \dot{M}(w_2 - w_1) \end{aligned} \quad (10)$$

where \dot{M} is the mass flowrate through Ω .

2.3. Conservation of Energy

The first law of thermodynamics is used to develop the integral equation form of the conservation of energy. The conservation law is given by

$$dE = Q - W \quad (11)$$

where dE is the change in the energy of the system, Q is the heat added to the system, and W is the work done by the system. The energy E is written in terms of several contributions by

$$E = U + \frac{1}{2} mV^2 + mgZ \quad (12)$$

where U is the internal energy, m is the system mass, $mV^2/2$ is the kinetic energy, and mgZ is the potential energy. For $e = E/m$, (11) is written in integral equation form with respect to time by

$$\int_{\Gamma} \rho \mathbf{V} \cdot d\mathbf{A} + \frac{\partial}{\partial t} \int_{\Omega} \rho e d\Omega = \frac{dQ}{dt} - \frac{dW}{dt} \quad (13)$$

Flow work done on Γ due to normal stresses (hydrostatic pressure) can be isolated from W term and (13) rewritten as

$$\int_{\Gamma} (e + p/\rho) \rho \mathbf{V} \cdot d\mathbf{A} + \frac{\partial}{\partial t} \int_{\Omega} \rho e d\Omega = \frac{dQ}{dt} - \frac{dW^*}{dt} \quad (14)$$

where p is the fluid pressure and W^* is the work term W less the flow work contribution.

For steady flow, (14) reduces to

$$\int_{\Gamma} (e + p/\rho) \rho \mathbf{V} \cdot d\mathbf{A} = \frac{dQ}{dt} - \frac{dW^*}{dt} \quad (15)$$

For one entrance (point 1) and exit (point 2) associated to Γ , and constant e, p, ρ over the entrance and exit areas,

$$\dot{M}(e_2 - e_1) + \dot{M} \left(\frac{p_2}{\rho_2} - \frac{p_1}{\rho_1} \right) = \frac{dQ}{dt} - \frac{dW^*}{dt} \quad (16)$$

Noting $e = E/m$, and \dot{M} being the mass flow rate through Ω gives

$$\dot{M} \left[\left(\frac{p_2}{\rho_2} - \frac{p_1}{\rho_1} \right) + (i_2 - i_1) + \left(\frac{V_2^2 - V_1^2}{2} \right) + g(Z_2 - Z_1) \right] = \frac{dQ}{dt} - \frac{dW^*}{dt} \quad (17)$$

where $i = U/m$. Letting

$$gH_L = (i_2 - i_1) - \frac{dQ}{dt} / \dot{M} \quad (18)$$

further reduces (17) for zero system work to

$$\frac{(p_2 - p_1)}{\rho} + \frac{(V_2^2 - V_1^2)}{2} + g(Z_2 - Z_1) + gH_L = 0 \quad (19)$$

or in terms of length units (or head)

$$\frac{(p_2 - p_1)}{\gamma} + \frac{(V_2^2 - V_1^2)}{2g} + (Z_2 - Z_1) + H_L = 0 \quad (20)$$

where γ is the fluid specific weight, and H_L is the head loss.

3. Fundamentals of Hydraulics

3.1. Hydraulic Grade Line and Energy Grade Line

For any point in the fluid, the summation of the elevation plus the pressure head is known as the piezometric

head. The piezometric head represents the level to which liquid will rise in a piezometer tube where a line drawn through the tops of a series of piezometer columns is known as the hydraulic grade line (HGL). The energy grade line (EGL) is determined by the sum of the HGL and the velocity head ($V^2/2g$) such as shown in Fig. 1.

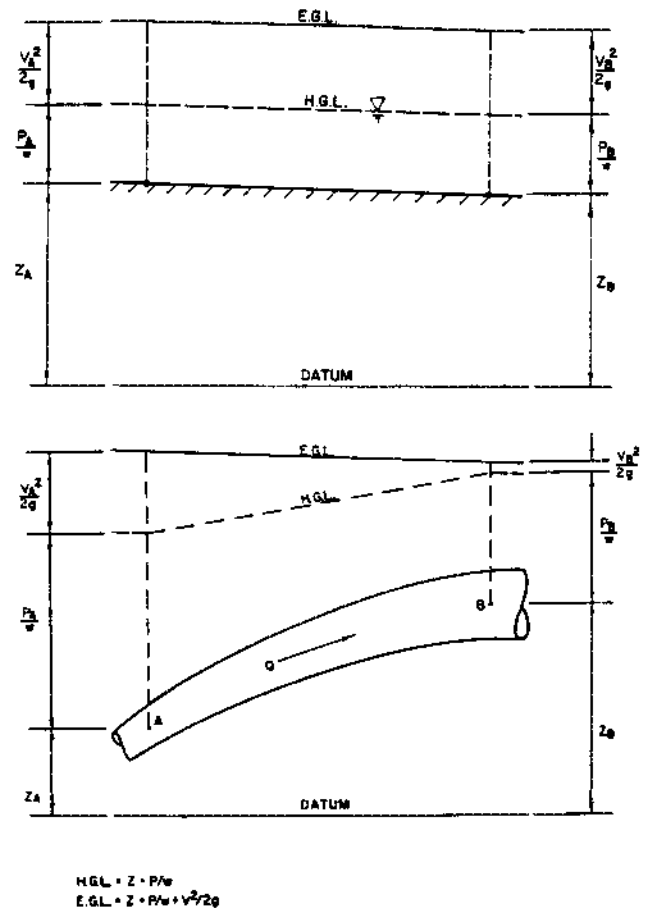


Fig. 1. Open channel flow energy balance.

3.2. Specific Energy

In open channel flow, the specific energy, S_E , is given by

$$S_E = y \cos^2 \theta + cV^2/2g \quad (21)$$

where

- y = vertical depth of flow
- θ = angle of longitudinal bed profile with respect to the horizontal. (In most cases θ is small, therefore $\cos^2 \theta = 1$)
- c = kinetic energy correction factor. This is equal to one when the velocity distribution is uniform.
- V = average flow velocity
- g = gravitational acceleration

Given the flow rate (Q), the cross section flow area (A), and for $\cos^2 \theta = 1$,

$$S_E = y + Q^2/2gA^2 \quad (22)$$

$$(S_E - y)A^2 = Q^2/2g = \text{constant} \quad (23)$$

From Equation (23), it is clear that the specific energy curve of Fig. 2 has the two asymptotes of $y = S_E$, and $y = 0$.

Alternate depths are defined as the two possible depths of flow for a given Q and S_E , and represent the two possible regimes of flow. For a point on the upper limb of the curve (Fig. 2), flow has a higher depth and thus a

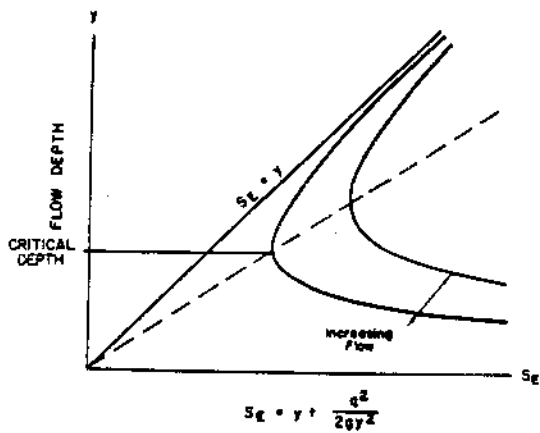


Fig. 2. The specific energy curve.

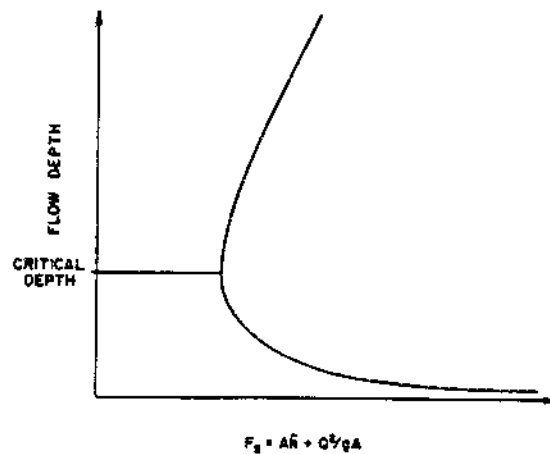


Fig. 3. The specific force curve.

lower velocity. In this case, the flow is known as subcritical. On the lower limb of the curve the flow has a lower depth and thus a high velocity. This flow is classified as supercritical. When $dS_E/dy = 0$, the flow is critical (the location of this condition is at the crest of the curve). The depth relating to critical flow is known as the critical depth, y_c .

3.3. The Specific Force

Consider a steady, uniform incompressible flow in an open channel between section A to section B, and apply Newton's second law of motion. The second law of motion states that the change of momentum per unit time in the body is equal to the resultant of all the external forces that are acting on the body. Thus for a fixed control volume

$$Q(\beta_B V_B - \beta_A V_A) = P_A - P_B + W \sin \theta - F_f \quad (24)$$

where

- β = momentum correction factor
- P_A and P_B = resultant pressures acting on section A and B, respectively
- W = equivalent weight of the fluid pressure enclosed between sections A and B
- F_f = total external forces (including friction) along the wetted boundary of the channel between section A and section B
- θ = angle of channel slope with respect to the horizontal

The pressure forces are calculated by

$$P_A = \gamma A \bar{h}_A, \quad P_B = \gamma A \bar{h}_B \quad (25)$$

where \bar{h} = the distance to the centroid of the cross section below the water surface

If the difference of $W \sin \theta - F_f$ can be neglected and β_1 and $\beta_2 = 1$, then equation (24) can be simplified as

$$A_A \bar{h}_A + Q^2/gA_A = A_B \bar{h}_B + Q^2/gA_B \quad (26)$$

Both sums of the terms in (26) involve identical components, and can be grouped together as the specific force, F_S . That is,

$$F_S = A \bar{h} + Q^2/gA \quad (27)$$

The specific force curve (Fig. 3) is similar in some of its characteristics to the specific energy curve (Fig. 2). Both the specific force and specific energy are asymptotic to the $y = 0$ axis. However, the specific force curve is not asymptotic to the 45° line.

1. The Hydraulic Jump in a Rectangular Channel

Solution of the continuity and momentum equations for the special case of a rectangular channel leads to the

following relation for the initial (y_1) and sequential depths (y_2) of a hydraulic jump on a horizontal floor:

$$y_2/y_1 = 1/2 ((1 + 8F_1^2)^{.5} - 1) \quad (28)$$

and

$$y_1/y_2 = 1/2 ((1 + 8F_2^2)^{.5} - 1) \quad (29)$$

In the above, F_1 and F_2 are the Froude numbers corresponding to depths y_1 and y_2 , respectively. Substituting these values into the energy equation gives the energy loss in the jump

$$\Delta E = (y_2 - y_1)^3 / 4y_1 y_2 \quad (30)$$

The jump efficiency E_2/E_1 can be expressed as

$$E_2/E_1 = ((8F_1^2 + 1)^{3/2} - 4F_1^2 + 1) / 8F_1^2 (2 + F_1^2) \quad (31)$$

The relative height of the jump $(y_2 - y_1)/E_1$ can be expressed as

$$(y_2 - y_1)/E_1 = ((1 + 8F_1^2)^{.5} - 3) / (2 + F_1^2) \quad (32)$$

The U.S. Bureau of Reclamation has classified various types of hydraulic jumps based on the Froude number, F . Their results are summarized below:

TABLE 1. HYDRAULIC JUMP CLASSIFICATIONS

F	Classification
1 to 1.7	undular jump
1.7 to 2.5	weak jump
2.5 to 4.5	oscillating jump
4.5 to 9.0	steady jump
> 9.0	strong jump

4. Gradually Varied Flow

Gradually varied flow in a prismatic channel can be modeled by the one-dimensional differential equation

$$dy/dx = (S_0 - S_f) / (1 - F^2) \quad (33)$$

where

- y = flow depth
- S_0 = the bed slope
- S_f = the friction slope
- F = the Froude number
- x = coordinate along channel bottom

When S_f approaches S_0 , dy/dx approaches zero. Therefore, water surface profiles approach the normal depth of flow asymptotically.

If F approaches unity, dy/dx approaches infinity. Therefore, by (33), the water surface becomes nearly vertical.

4.1. S Profiles

A channel is classified as steep for a discharge when the normal depth is less than the critical depth, and is mild when the normal depth is greater than the critical. When the normal flow is rapid (normal depth less than critical) in a channel, the resulting profiles S_1 , and S_2 and S_3 are known as the steep profiles. The S_1 profile approximates gradually varied flow which is above the normal and critical depths, S_2 represents the flow profile occurring between the critical and normal depths, and S_3 occurs below the normal depth, (Fig. 4).

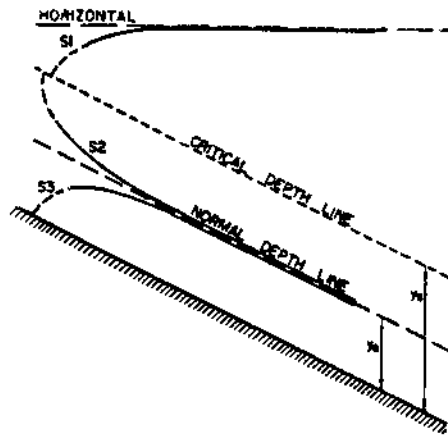


Fig. 4. Gradually varied flow profiles for steep slopes.

For the S_1 curve, both the numerator and denominator of (33) are positive and the depth increases downstream approaching a horizontal asymptote. An example is a steep canal emptying into a pool of high elevation.

For the S_2 curve, the numerator of (33) is negative and the denominator is positive (but approaches zero at $y = y_0$). This curve approaches the normal depth asymptotically. An example is the profile formed on the downstream side of an enlargement of a channel section.

In the S_3 curve, both the numerator and denominator of (33) are negative. An example is the water surface profile as the slope changes from a steep to a milder (but steep) slope.

4.2. M Profiles

A mild slope is one where the normal flow is tranquil (i.e., normal depth, y_0 , is greater than the critical depth, y_c). Three profiles may occur, and are classified as M_1 , M_2 , and M_3 , for flow depths above normal depth, below normal and above critical depths, and below critical depth, respectively, (Fig. 5).

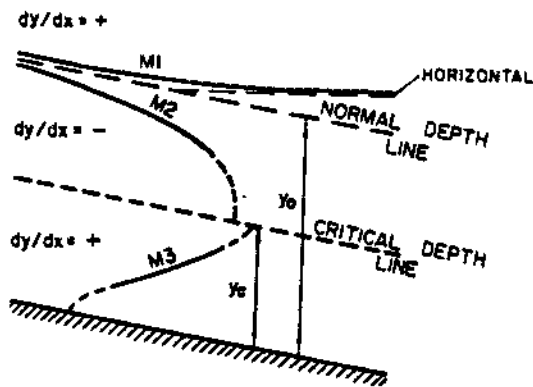


Fig. 5. Gradually varied flow profiles for mild slopes.

For the M_1 profile ($y > y_0 > y_c$), the upstream end of the flow profile is tangent to the normal-depth line, since $dy/dx = 0$ as $y = y_0$. The downstream end is tangent to the horizontal because $dy/dx = S_0$ as y approaches infinity. A typical

example in this case is the profile behind a dam in a mildly flowing river.

For the M_2 profile ($y_0 > y > y_c$), the upstream end of the flow profile is tangent to the normal depth line, since $dy/dx = 0$ as $y = y_0$. The downstream end of the flow profile is less than the normal depth but above (or equal to) the critical depth. A typical example of this profile occurs at the upstream side of a sudden enlargement of a mild channel cross-section.

For the M_3 profile ($y < y_c < y_0$), the upstream flow depth is modeled to begin as an acute angle. The downstream flow terminates with a hydraulic jump. The most upstream flow depth is modeled as $y = 0$, and has an associated infinite flow velocity. The typical example of this profile is when a supercritical flow enters a mild channel.

4.3. C Profiles

When the normal depth and the critical depth are equal, the profiles resulting from this are labeled C_1 and C_3 . C_1 occurs when the flow depth is above the critical depth and C_3 occurs when the flow depth is below the critical depth. These profiles represent the transition conditions between M (mild) and S (steep) flow profiles. The C_2 profile is usually associated to the case of uniform critical flow, (Fig. 6).

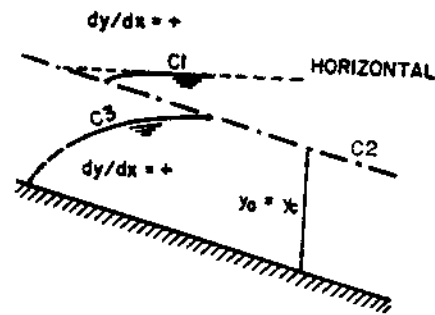


Fig. 6. Gradually varied flow profiles for critical slopes.

4.4. The Standard Step Method

Gradually varied flow profiles are generally computed by using any of three popular methods. Namely, the graphical-integration method, the direct-integration method, and the standard step method. The standard step method continues to be the most commonly used.

In the standard step method, the computation of the flow depth is carried out on a station to station basis where the hydraulic characteristics are known. The computation procedure is a trial and error method to balance the energy equation.

For convenience, the position of the water surface is measured with respect to a horizontal datum. The water surface elevations above the datum at the two end sections can be expressed as (Fig. 7)

$$Z_A = y_A + z_A \quad (34)$$

and

$$Z_B = y_B + z_B \quad (35)$$

The friction losses are estimated between points A and B by

$$h_f = S_f dx = (S_A + S_B)dx/2 \quad (36)$$

where S_f can be taken as the average of the friction slopes at the two end sections. The total head at sections A and B can be equated by the energy equation

$$S_0 dx + y_A + c_A V_A^2/2g = y_B + c_B V_B^2/2g + S_f dx + h_e \quad (37)$$

By substitution, the following is written

$$Z_A + c_A V_A^2/2g = Z_B + c_B V_B^2/2g + h_f + h_e \quad (38)$$

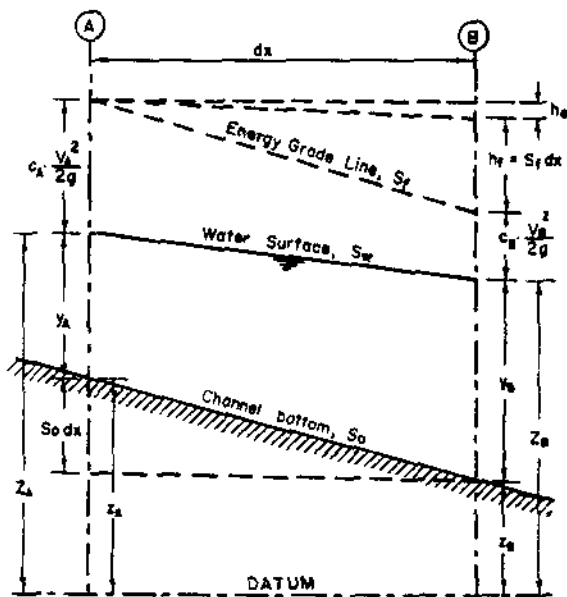


Fig. 7. Channel reach used for derivation of standard step method.

where h_e is the eddy loss defined by

$$h_e = k(cV^2/2g)$$

and k is defined by

- $k = 0$ to 0.1 for gradually converging reaches
- $k = 0$ to 0.2 for gradually diverging reaches
- $k = 0.5$ for abrupt expansion and contraction
- $k = 0$ for prismatic and regular channel

The total heads at the two end sections A and B are

$$H_A = Z_A + c_A V_A^2 / 2g \quad (39a)$$

and

$$H_B = Z_B + c_B V_B^2 / 2g \quad (39b)$$

Using (39a,b), equation (38) can be expressed as

$$H_A = H_B + h_f + h_e \quad (40)$$

Given the values of H_A (or H_B), the energy head for H_B (or H_A) is computed by estimating possible flowdepths until the governing energy equation is satisfied.

5. PROGRAM 1. Irregular Channel Backwater Curve Analysis

The Standard Step Method provides for the computation of an upstream water surface and EGL given the current values of the water surface elevation, EGL, flow rate, and other flow and channel characteristics. Consequently, the main thrust of the computer program is to develop backwater and drawdown curves for channel flow situations which can be considered mild (i.e., Froude numbers are all less than 1, and the normal depths are greater than the critical depths).

The program data entry requirements fall into two categories:

- (1) preparation of channel cross section information
- (2) definition of uniform channel flowrate, energy balance locations along the channel, and downstream hydraulic control information

The preparation of channel cross section information entails the definition of up to 20 cross sections along the channel. Each cross section is defined to have up to 20 (x,y) coordinate pairs, a Manning's friction factor, a kinetic energy correction factor, and an eddy loss factor. Each cross section is assumed to have a single flowline such that the section begins on one bank, decreases in elevation constantly to the flowline, and then increases in

elevation until the other bank elevation is reached. The section coordinate data is entered with the first x-coordinate being defined as $x=0.0$. Thus the coordinate data must be entered consistently in order to scan the cross sections properly. That is, all sections should have the coordinate data prepared from left-to-right (or right-to-left). The cross section data entry begins with the most downstream section, with subsequent section data entered in the upstream direction.

The second set of data entry requirements includes the constant flowrate to be used through the entire study, the definition of the downstream hydraulic control water surface elevation, and the definition of energy balance locations along the channel. PROGRAM 1 computes the critical depth at each energy balance location. Consequently, should the specified control water surface elevation correspond to a channel flowdepth less than critical depth, the program will redefine the control to equal the critical depth. The Standard Step Method computes the water surface profile by balancing the energy losses (between energy balance locations) to the change in the EGL. Thus the engineer locates those points where the energy balance computations are to occur within the study.

As the study proceeds in the upstream direction, the upstream water surface and EGL are computed at energy balance locations by linearly interpolating all cross section geometric and hydraulic information. Should the water surface fall below the corresponding critical depth, the channel flowdepth is redefined to equal the critical depth (Froude number equals 1, modified by the kinetic energy correction factor). In reaches where normal depth flows could be supercritical, the word STEEP is noted in the right hand column of the computer solution tabulation. Other program output features are listed in the program description page which is included in the program output.

PROGRAM 1 is designed to tabulate the hydraulic computations according to the form given in Chow (1959, pg. 269). The computer results also include a report description page which briefly describes the computer program operation and the interpretation of the final results. It should be noted that PROGRAM 1 models the gradually varied flow hydraulics as a one-dimensional channel reach, ignoring all additional losses due to bends, angle points, and so forth. However, the eddy loss factor represents a portion of the velocity head to be used for energy losses, and can be used to include any other additional losses as a function of the flow velocity head, H_v . Should channel flows exceed either channel bank, the model assumes that a vertical line extends upwards from both channel banks, with zero friction assumed along the imaginary boundary. In this flooding situation, the word FLOOD is printed in the computer results.

5.1. Data Entry for PROGRAM 1

In order to determine a water surface profile in a subcritical channel flow, the channel needs to be defined by cross-section coordinate pairs and associated flow parameters. This cross-section information is entered as one travels upstream through the channel. The program input variable names and descriptions are provided below.

PROGRAM CONTROL DATA ENTRY:

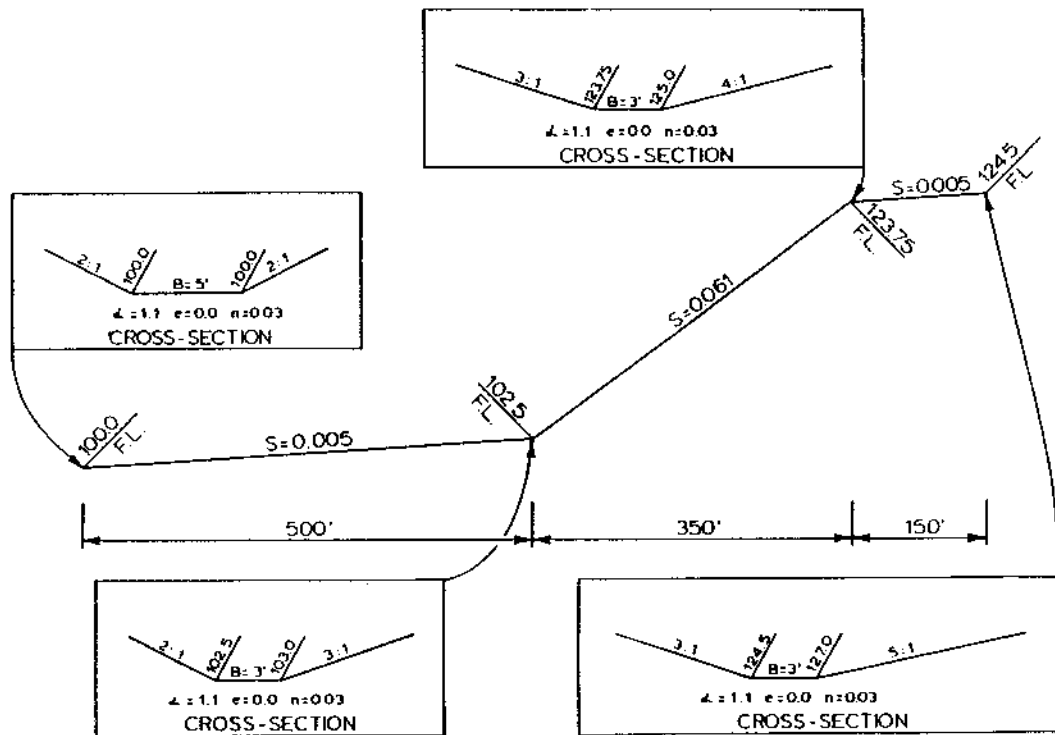
Variable Name	Description
N	Total number of cross-sections
QQ	Channel flow (cfs)
TOL	Tolerance in computation (feet)
YCON	Downstream hydraulic control water surface elevation (feet)

CROSS-SECTION DATA ENTRY (I=1,N):

M(I)	Number of coordinate pairs
XMAN(I)	Manning's friction factor
ALPHA(I)	Kinetic energy correction factor
EDDY(I)	Eddy loss coefficient
X(I,J),Y(I,J)	(X,Y) coordinates for cross-section number I
DISTS(I)	Distance to hydraulic control (feet)

ENERGY BALANCE LOCATION DATA ENTRY:

Program 1 uses straight line interpolation between cross-sections to define the irregular channel geometry and flow parameter values. To approximately solve the energy



EXAMPLE PROBLEM - IRREGULAR CHANNEL PROFILE AND CROSS-SECTIONS

equation, locations are needed where the energy balance is to be made.

Variable Name	Description
NE	Total number of energy balance locations
DIST(I)	Distance from hydraulic control where energy balance is to be made (I = 1, NE)

References

- Hromadka II, T.V., Durbin, T.J., and DeVries, J., Computer Methods in Water Resources, Ch. 3, Lighthouse Publications, 1985.

PROGRAM 1

```

C..READ DATA INPUT
C
C   READ FREE(5) N,QQ,TOL,YCON,NE
C
C   SVTOL=TOL
C   KMODEL=1
C   IF (TOL.LT.0)KMODEL=2
C   IF (TOL.LT.0)TOL = TOL *(-1)
C
C   DO 4016 I=1,NE
4016  READ FREE(5) DIST(I)
      CONTINUE
      DO 4018 I=1,N
        READ FREE(5) DIST(I)
        READ FREE(5) ALPHA(I)
        READ FREE(5) XMAN(I)
        READ FREE(5) EDDY(I)
        READ FREE(5) NFL(I)
        READ FREE(5) M(I)
        MM=M(I)
        DO 4024 K=1,MM
          READ FREE(5) X(I,K)
          READ FREE(5) Y(I,K)
6024      CONTINUE
4018      CONTINUE
C
C..END OF INPUT
C
C   CALL PROF5(NUT,YCON)
C   CALL PROF6(NUT)
C   CALL PROF2(NUT,YCON)
C
C   RETURN
C   END
C
C-----
C   SUBROUTINE PROF2(NUT,YCON)
C-----
C
C   BYTE NOTE,IST,BLANK,ITYPE
C   CHARACTER*30 MODEL,MODEL1,MODEL2,BUFF*7
C   COMMON/TEXTP/NOTE,BLANK,IST(26),IWT(12),IWS(5)
C   COMMON/BLK 1/X(50,20),Y(50,20),NFL(50),M(50)
C   COMMON/BLK 2/DISTS(50),ALPHA(50),XMAN(50),EDDY(50)
C   COMMON/BLK 3/TOL,Q,N,DIST(200),NE,KMODEL
C   COMMON/MISC/IFF
C
C   DATA MODEL1/' ** SUBCRITICAL FLOW MODEL ** '/,
C   MODEL2/'** SUPERCRITICAL FLOW MODEL **'/
C
C   DATA (IST(I),I=1,10)/'F','L','O','O','D','S','T','E','E','P',
C   DATA(IST(I),I=11,15)/'S','T','A','R','T',
C   DATA(IST(I),I=16,26)/'S','E','C','T','I','O','N','I',
C   'L','D'/
C
C   DATA NOTE/'**',BLNK/' '/
C
C   ERROR = 1 IMPLIES OVERFLOW

```

```

$ TYPE P.DOC
C-----
C   SUBROUTINE PROFIE
C-----
C
C   DATA ENTRY ROUTINE FOR PROFILE BATCH SYSTEM
C
C   COMMON /NUT/NUT
C   COMMON/MIS/IFORM,IDF
C   COMMON/MISC/IFF
C   COMMON/INHIB/INH,INH1,INH2,INH3,INH4,INH5
C   COMMON/BLR1/X(50,20),Y(50,20),NFL(50),M(50)
C   COMMON/BLR2/DISTS(50),ALPHA(50),XMAN(50),EDDY(50)
C   COMMON/BLK3/TOL,QQ,N,DIST(200),NE,KMODEL
C
C   NUT=6
C   IFF=12
C
C   DO 1001 I=1,200
1001  DIST(I)=0.0
      CONTINUE
      DO 1002 I=1,50
        NFL(I)=0.0
        M(I)=0
        DISTS(I)=0.0
        ALPHA(I)=0.0
        XMAN(I)=0.0
        EDDY(I)=0.0
1002  CONTINUE
        DO 1003 J=1,20
          DO 1003 I=1,50
            X(I,J)=0.0
            Y(I,J)=0.0
            Z(I,J)=0.0
1003  CONTINUE
C
C   OPEN 5,"PROF.DAT"
C   OPEN 6,"PROF.ANS"
C

```

```

IFIRST=0
ICOUNT=1
DCON=YCON
ITYPE=BLANK
C
MODEL = MODEL1
IF (KMODEL,EQ.2) MODEL = MODEL2
C
CALCULATE CONTROL SECTION HYDRAULICS
C
IF (KMODEL,EQ.2) GO TO 201
C
SUBCRITICAL FLOW
CALL PROF4(0,YC,YN,J,K,NT,A,V,R,FR,ERROR)
IF (YC.GE.YCON) DCON=YC
IF (YC.GE.YCON) ITYPE=NOTE
IF (YC.GE.YCON) GOTO 10
CALL PROF3(1,YCON,A,V,P,PH,TW,R,FR,1.,XPM,NT,ERROR)
GO TO 10
C
SUPERCRITICAL FLOW
C
201 CONTINUE
CALL PROF4(1000,YC,YN,J,K,NT,A,V,R,FR,ERROR)
C
JY = NFL(N)
YMIN = Y(N,JY)
DMIN = YCON - (YMIN + .05)
IF (DMIN .LT. 0.) YCON = YC
C
IF (YCON.GE.YC) DCON = YC
IF (YCON.GE.YC) ITYPE = NOTE
IF (YCON.GE.YC) YCON = YC
IF (YCON.GE.YC) FR = 1.
CALL PROF3(N,YCON,A,V,P,PH,TW,R,FR,1.,XPM,NT,ERROR)
C
10 WRITE (NT,1000) IFP
1000 FORMAT (1X,A1,/,50X,'CUT ALONG OUTSIDE BORDER* ',/,
C 76X,'*',/,76X,'V')
WRITE (NT,1001)
1001 FORMAT (10X,'+',10X,'-',',',+',')
WRITE (NT,1002) MODEL
1002 FORMAT (2,10X,'|',109X,'|',/,10X,'|',39X,A30,40X,'|',/,
C 10X,'|*** IRREGULAR CHANNEL WATER SURFACE PROFILE ANALYSIS ***',
C 4X,'Copyright 1983,1986 Advanced Engineering Software',
C '|',/,
C 10X,'|Standard Step Method irregular channel',
C '| analysis. Based on development in "OPEN CHANNEL',
C '| HYDRAULICS",CHOW(1959)|')
1010 WRITE (NT,1010) Q
FORMAT (10X,'| STUDY NAME:',46X,'Channel Flow = ',F9.2,' cfs',
C 4X,'PAGE NUMBER:',4X,'|')
WRITE (NT,1001)
WRITE (NT,1003)
1003 FORMAT (10X,'| LENGTH| WATER | FLOW| FLOW| FLOW|',
C ' 2 | TOTAL | HYDR | FRICTION| AVERAGE| REACH|',
C ' | LOSS|EDDY| TOTAL | ',/,10X,'| from |SURFACE|',
C ' |DEPTH| AREA | V |aV/2g| HEAD |RADIUS| SLOPE |',
C ' | REACH |LENGTH| HE |LOSS| HEAD | Fr |',/,
C 10X,'|CONTROL|(elev.)|(ft)|(ft*ft)|(fps)|(ft)|(ft)|',
C '|(ft)| SE | SE | (ft) | (ft)|(ft)|(ft) | (ft) | (ft) |')
WRITE (NT,1004)
1004 FORMAT (10X,'|-----|-----|-----|-----|',
C '|-----|-----|-----|-----|',
C '|-----|-----|-----|')
C.....USE KINGS HANDBOOK (8-136) FORMULA
C
ITEMP=1
IF (KMODEL,EQ.2) ITEMPE = N
C
SF=XMAN(ITEMP)*XMAN(ITEMP)*V*V/2.2082/R**1.3333
AHV=ALPHA(ITEMP)*V*V/64.4
C
HVA = AHV
HVB = 0.
EDA = EDDY(ITEMP)
EDB = 0.
C
H1=DCON+AHV
H2=H1
NODE=NFL(ITEMP)
YY=DCON-Y(ITEMP,NODE)
1005 WRITE (NT,1005) DISTS(3),DCON,YY,A,V,AV,AL,R,SF,H2,ITYPE,FR
FORMAT (10X,'|F7.1,|',F7.2,|',F5.2,|',F7.2,|',
C F5.2,|',F6.3,|',F6.3,|',F6.3,|',F6.2,|',F6.6,|',
C '|',F6.3,|',A1,F4.2,|')
DO 13 IJ=1,5
13 INTS(IJ)=BLANK
DO 131 IJ=1,12
131 INT(IJ)=BLANK
IF (ERROR,EQ.0.) GOTO 151
DO 14 IJ=1,5
14 INT(IJ)=IST(IJ)
151 CONTINUE
DO 141 IJ=6,12
141 INT(IJ)=IST(10+IJ)
C
DO 78 IJ=1,5
78 INTS(IJ)=IST(IJ+10)
79 IFIRST=IFIRST+1
C
NTEMP=1
IF (KMODEL,EQ.2) NTEMP = N
C
WRITE (NT,1011) (INT(IJ),IJ=6,10),NTEMP,(INT(IJ),IJ=1,5),
1011 ALPHA(NTEMP),XMAN(1),(INTS(IJ),IJ=1,5)
FORMAT (10X,'|',5A1,I2,|',1X,5A1,1X,|',5X,|',7X,|',5X,|',a=',
C F4.2,|',8X,|',6X,|',n=',F6.4,|',8X,|',6X,|',
C 5X,|',4X,|',8X,|',5A1,|')
WRITE (NT,1004)
C.....INITIALIZE SFI
SFI=SF
C
C.....MAIN LOOP
C
DO 100 LL=1,NE
L=LL
IF (KMODEL,EQ.2) L = NE-LL+1
C
CALL PROF4(L,YC,YN,J,K,NT,A,V,R,FR,ERROR)
YMIN=YC
C
YMAX=YC+250.
C
R=(DIST(L)-DISTS(J))/(DISTS(K)-DISTS(J))
RI=1.-R
JFL=NFL(J)
KFL=NFL(K)
YMINJ=Y(J,JFL)
YMINK=Y(K,KFL)
YEL=R*YMINK+RI*YMINJ
C
IF (KMODEL,EQ.2) YMIN = .01 + YFL
IF (KMODEL,EQ.2) YMAX = YC
C.....ESTIMATE SECTION BANK-ELEVATIONS
XLBNK=R*Y(K,1)+RI*Y(J,1)
MMJ=M(J)
MMK=M(K)
XRBNK=R*Y(K,MMK)+RI*Y(J,MMJ)
C
DO 50 LLL=1,18
YTEST=.5*(YMIN+YMAX)
DY=YTEST-YFL
YJ=YMINJ+DY
YK=YMINK+DY
CALL PROF3(J,YJ,AJ,V,PJ,PHJ,TWJ,XR,FR,1.,XPMJ,NT,ERROR)
CALL PROF3(K,YK,AK,V,PK,PHK,TWK,XR,FR,1.,XPMK,NT,ERROR)
A=R*AK+RI*AJ
C
YBARA = R*XPMK + RI*XPMJ
V=Q/A
AL=R*ALPHA(K)+RI*ALPHA(J)
XN=R*XMAN(K)+RI*XMAN(J)
AHV=AL*V*V/64.36
C
XPM = (Q/32.18 * Q/A + YBARA) * 62.4
C
HVB = AHV
C
TW=R*TWK+RI*TWJ
PR=R*PK+RI*PJ
RR=N/P
DH=A/TW
SF=XN*XN*V*V/2.22/RI**1.3333
DX=DIST(1)
IF (L.GT.1) DX=DIST(L)-DIST(L-1)
C
IF (KMODEL,EQ.2) DX = DISTS(N) - DIST(NE)
IF (KMODEL,EQ.2 .AND. L.LT.1) DX = DIST(L+1) - DIST(L)
C
SFM=.5*(SF1+SF)
HF=DX*SFM
C
EDB = R*EDDY(K) + RI*EDDY(J)
ED = .5*(EDA+EDB)
C
HE = ED*(ABS(HVB - HVA))
C
IF (KMODEL .EQ. 2) GO TO 51
C
H2T=H2+HE+HF
H1T=YTEST+AHV
IF (H2T-H1T) 30,60,40
30 YMAX=YTEST
40 GOTO 50
50 YMIN=YTEST
51 CONTINUE
H2T = H2-HE-HF
H1T = YTEST + AHV
IF (H2T - H1T) 511,60,513
511 YMIN = YTEST
GO TO 50
513 YMAX = YTEST
C-----
C
REDEFINE ENERGY LEVEL IN CALCULATIONS
C
50 CONTINUE
60 H1=H1T
H2=H1
C.....OUTPUT RESULTS
DO 61 IJ=1,5
61 INTS(IJ)=BLANK
DO 611 IJ=1,12
611 INT(IJ)=BLANK
C--INIT BUFF EACH LOOP INCREMENT
BUFF = '
C
IF (YTEST.LT.XLBNK.AND.YTEST.LT.XRBNK) GOTO 70
DO 62 IJ=1,5
62 INT(IJ)=IST(IJ)
70 CONTINUE
FR=SQRT(AL*V*V/DH/32.18)
C
HVA = HVB
EDA = EDB
SFI = SF

```

```

ITYPE=BLANK
TEST=ABS(1.-FR)
IF (TEST.LT.01) ITYPE=NOTE
C
C
IF (KMODEL.EQ.1 .AND. YN.GT.YC) GO TO 77
IF (KMODEL.EQ.2 .AND. YN.LT.YC) GO TO 77
IF (KMODEL.EQ.2) GO TO 751
C
C
DO 75 IJ=1,5
IWT5(IJ)=IST(IJ+5)
C
C
GO TO 753
CONTINUE
DO 752 IJ=1,5
IWT5(IJ) = IST(22+IJ)
CONTINUE
752
C
753
CONTINUE
C
C
77
CONTINUE
C
XDISTL = DIST(L)
IF (KMODEL.EQ.2) XDISTL = DISTS(N) - XDISTL
C
WRITE (NT,1006) XDISTL,YTEST,DY,A,V,AHV,H1,RH,SF,SFM,DX,HF,
HE,H2T,ITYPE,FR
C
1006
FORMAT(10X,'|',F7.1,'|',F7.2,'|',F5.2,'|',F7.1,'|',
F5.2,'|',F6.3,'|',F8.3,'|',F6.2,'|',F8.6,'|',F8.6,'|',
F6.1,'|',F5.2,'|',F4.2,'|',F8.3,'|',A1,F4.2,'|')
C.....SEE IF LOCATION =CROSS-SECTION
IF (DIST(L).EQ.DISTS(J).OR.DIST(L).EQ.DISTS(K)) GO TO 82
GO TO 85
C
82
DO 83 IJ=6,12
IWT(IJ)=IST(10+IJ)
IF (DIST(L).EQ.DISTS(J)) ISEC = J
IF (DIST(L).EQ.DISTS(K)) ISEC = K
WRITE (BUFF,95) (IWT(IJ),IJ=6,10),ISEC
FORMAT(5A1,12)
C
85
CONTINUE
C
WRITE (NT,1012) BUFF, (IWT(IJ),IJ=1,5).L.
C
AL,XN,XPM,ED, (IWT5(IJ),IJ=1,5)
1012
FORMAT(10X,'|',A7,'|',1X,5A1,1X,'|',E8.1,13,'|',7X,'|',5X,'|',a=,
F4.2,'|',8X,'|',6X,'|',d=,F6.4,'|',P+M=,F11.2,'|',5X,
C
'e=,F5.3,7X,'|',5A1,'|')
C
WRITE (NT,1004)
C.....PAGE COSMETICS
ICOUNT=ICOUNT+1
IF (ICOUNT.LT.13) GO TO 100
WRITE (NT,1001)
IF (KMODEL.EQ.1 .AND. L.EQ.NE) GO TO 200
IF (KMODEL.EQ.2 .AND. L.EQ.1) GO TO 200
C
WRITE (NT,1000) IFF
WRITE (NT,1001)
WRITE (NT,1002)
WRITE (NT,1010) Q
WRITE (NT,1001)
WRITE (NT,1003)
WRITE (NT,1004)
ICOUNT=0
CONTINUE
100
END OF STUDY, BUT IN MIDDLE OF PAGE....FINISH OFF PAGE
NREM=13-ICOUNT
DO 150 K=1,NREM
WRITE (NT,1007)
WRITE (NT,1007)
1007
FORMAT(10X,'|',7X,'|',7X,'|',5X,'|',7X,'|',5X,'|',6X,
'|',8X,'|',6X,'|',8X,'|',8X,'|',6X,'|',5X,'|',4X,'|',
C
8X,'|',5X,'|')
WRITE (NT,1004)
150
CONTINUE
WRITE (NT,1001)
200
CONTINUE
WRITE (NT,2000)
2000
FORMAT (/)
C
RETURN
END
C
C
-----
SUBROUTINE PROF3(L,YDEPTH,A,V,P,PH,TW,R,FR,S,XPM,NT,ERROR)
-----
C
CALCULATES CROSS-SECTION #1 FLOW
C
GEOMETRIC DATA GIVEN
PARAMETERS, & FLOWDEPTH:YDEPTH
C
COMMON/BLK 1/X(50,20),Y(50,20),NFL(50),M(50)
COMMON/BLK 2/DISTS(50),ALPHA(50),XMAN(50),EDDY(50)
COMMON/BLK 3/TOL,Q,N,DIST(200),NE,KMODEL
C
HYPOT(B,C)={(B*B)+(C*C)**.5
ERROR=0.
YBARA = 0.
XPM = 0.
I=L
P=0.
V=0.
TW=0.
A=0.
KK=M(I)-1
DO 200 J=1,KK
IF ((YDEPTH.LE.Y(I,J)).AND.(YDEPTH.LE.Y(I,J+1))) GO TO 200
XDIF=X(I,J+1)-X(I,J)
YDIF=Y(I,J+1)-Y(I,J)

```

```

IF (YDIF) 150,150,160
150
YDIF=-YDIF
YUP=Y(I,J)
YLOW=Y(I,J+1)
GOTO 170
160
YUP=Y(I,J+1)
YLOW=Y(I,J)
170
TEMP=YUP-YDEPTH
IF (TEMP.LE.0.) GOTO 155
GOTO 165
C
155
AA=(ABS(YDEPTH-YUP)*XDIF)+(.5*XDIF*ABS(YDIF))
C
PP=HYPOT(XDIF,YDIF)
TWTW=XDIF
C-----
DYBARA = .5*(YDEPTH-YUP) * (YDEPTH-YUP) * XDIF +
(ABS(YDEPTH-YUP) + ABS(YDIF)/3.) * .5*XDIF*ABS(YDIF)
C-----
GOTO 198
C
165
IF (ABS(YDIF).LT. .002) GOTO 155
C
YDEEP=YDEPTH-YLOW
TWTW=XDIF*(YDEEP/YDIF)
AA=.5*YDEEP*TWTW
PP=(YDEEP/YDIF)*HYPOT(XDIF,YDIF)
C
DYBARA = (YDEEP/3.)*AA
C
198
A=A+AA
P=P+PP
TW=TW+TWTW
C
YBARA = YBARA + DYBARA
C
200
CONTINUE
IF (P.LE. .01) WRITE (NT,220)
C
220
FORMAT(1X,'NOTE: FLOW DEPTH ESTIMATE OF WETTED PERIMETER ',
'IS LESS THAN .001',/1X,
'SUGGEST: (1) ADDING MORE ENERGY BALANCE LOCATIONS',/1X,
' (2) CHECKING CROSS-SECTION DATA',/1X,
'NOTE: WETTED PERIMETER SET TO .01 FEET,')
C
IF (P.LE. .01) P = .01
C
R=A/P
V=O/A
DH=A/TW
FR=SQRT(ALPHA(I)*V*V/32.18/DH)
C-----
XPM = YBARA
C-----
180
CONTINUE
C.....CHECK FOR OVERFLOW
KK=KK+1
C
ERROR=1 => FLOW ABOVE CHANNEL CONFINES
C
IF (YDEPTH.GT.Y(I,1).OR.YDEPTH.GT.Y(I,KK)) ERROR=1.
C
RETURN
END
C
-----
SUBROUTINE PROF4(I,YC,YN,J,K,NT,A,V,RH,FR,ERROR)
-----
C
.....DETERMINES DC AND DN ELEVATION AND SURROUNDING
SECTIONS "J" AND "K"
C.....I IS INDEX TO ENERGY-BALANCE LOCATION
C.....I=0 IMPLIES CONTROL SECTION ANALYSIS
C
I=0 => DOWNSTREAM CONTROL
I=1000 => UPSTREAM CONTROL.
C.....FIND J AND K:
COMMON/BLK 1/X(50,20),Y(50,20),NFL(50),M(50)
COMMON/BLK 2/DISTS(50),ALPHA(50),XMAN(50),EDDY(50)
COMMON/BLK 3/TOL,Q,N,DIST(200),NE,KMODEL
C
DD=.01
L=2
IF (I.EQ.0) GOTO 15
C
DD = DISTS(N) - .01
L = N
IF (I .EQ. 1000) GO TO 15
C
IF (I.GT.0) DD=DIST(I)
C
DO 10 L=1,N
IF (DD.GT.DISTS(L)) GO TO 10
GOTO 15
10
CONTINUE
15
J=L-1
K=L
C.....GET LENGTH RATIO R
R=(DD-DISTS(J))/(DISTS(K)-DISTS(J))
R1=1.-R
C.....FIND YC
JFL=NFL(J)
KFL=NFL(K)
YMINJ=Y(J,JFL)
YMINK=Y(K,KFL)
YMIN=R*YMINK+R1*YMINJ
YFL=YMIN
C
YMAX=YMIN+250.

```



```

C AL=R*ALPHA(K)+R1*ALPHA(J)
C DO 100 L=1,18
C
C YTEST=.5*(YMIN+YMAX)
DY=YTEST-YFL
YJ=YMIN+DY
YK=YMINK+DY
CALL PROF1(J,YJ,AJ,V,PJ,DHJ,TWJ,XR,FR,1.,XPM,NT,ERROR)
CALL PROF3(K,YK,AK,V,PK,DHK,TWK,XR,FR,1.,XPM,NT,ERROR)
A=R*AK+R1*AJ
T=R*TK+R1*TWJ
P=R*PK+R1*PJ
RH=A/P
DH=A/TF
V=Q/A
FR=(AL*V*V/32.18/DH)
IF (FR-1.120,120,40)
20 YMAX=YTEST
GOTO 100
40 YMIN=YTEST
100 CONTINUE
120 YC=YTEST
FR=SQRT(FR)
C.....GET YN
XN=R*XMAN(K)+R1*XMAN(J)
SLOPE=(YMINK-YMINJ)/(DIST(K)-DIST(J))
YN=D.
IF (I.EQ.0)GOTO 300
C
C IF (SLOPE.LT. .00001)WRITE (NT,77)
77 FORMAT(5X,'CHANNEL SLOPE ASSUMED AT PROGRAMMED DEFAULT VALUE',
' OF .00001')
IF (SLOPE .LT. .00001)SLOPE = .00001
C
C FACT=1.486/YN*SQRT(SLOPE)
YMIN=R*YMINK+R1*YMINJ
C
C YMAX=YMIN+250.
C
C DO 200 L=1,18
YTEST=.5*(YMIN+YMAX)
DY=YTEST-YFL
YJ=YMIN+DY
YK=YMINK+DY
CALL PROF3(J,YJ,AJ,V,PJ,DHJ,TWJ,XR,FR,1.,XPM,NT,ERROR)
CALL PROF3(K,YK,AK,V,PK,DHK,TWK,XR,FR,1.,XPM,NT,ERROR)
A=R*AK+R1*AJ
P=R*PK+R1*PJ
RH=A/P
QTEST=FACT*A*RH**.6667
IF (QTEST-Q)150,220,180
150 YMIN=YTEST
GOTO 200
180 YMAX=YTEST
200 CONTINUE
220 YN=YTEST
300 CONTINUE
C
C RETVHM
END
C
C-----
SUBROUTINE PROF5(NT,YCON)
C-----
COMMON/BLK 3/TOL,Q,N,DIST(200),NE,KMODEL
C
C WRITE(NT,10)
FORMAT(16X,'IRREGULAR CHANNEL WATER SURFACE PROFILE ANALYSIS',
//5X,'Study Name:',9(' ')4X,'Page Number ____')
WRITE(NT,11)
FORMAT(//5X,'The following study is based on the well known ',
'STANDARD STEP METHOD to',/5X,
'analyse gradually varied flow in an irregular channel. Energy-',
'head',/5X,
'losses and corresponding notation used in the program are as ',
'follows',/10X,
'FRICTION LOSSES: n = Mannings friction factor',/10X,
'EDDY LOSSES: e = eddy loss coefficient',/10X,
'KINETIC ENERGY',/10X,
'CORRECTION FACTOR: a = correction factor')
WRITE(NT,15)
FORMAT(//5X,'The PROGRAM determines gradually varied flow water',
'surface elevations',/5X,
'by balancing the classical energy equation between user-',
'specified',/5X,
'energy balance' locations. All geometric and parameter infor',
'mation is',/5X,
'interpolated between defined channel cross-sections by straight ',
'line',/5X,
'interpolation.')
```

```

/5X,'flowdepth in the channel, Similarly in a supercritical ',
'flow model',/5X,
'critical depth is assumed as a maximum flow depth. Conse',
'quently',/5X,
'rapidly varied flow effects, hydraulic jumps, and transitions',
'between',/5X,
'flow regimes ARE NOT INCLUDED in the PROGRAM.')
```

```

30 WRITE(NT,30)Q,N,NE
FORMAT(//5X,'For this study, the following information is used:',
/10X,'Channel flow(cfs) = ',F8.1,/10X,
'Number of Channel cross-sections = ',I2,/10X,
'Number of Energy-Balance locations = ',I2)
IF(KMODEL.EQ.1)WRITE(NT,32)YCON
IF(KMODEL.EQ.2)WRITE(NT,33)YCON,N
32 FORMAT(//5X,'COMPUTER RESULTS are based upon SUBCRITICAL flow ',
'model with assumed',/5X,
'control water surface elevation(feet) = ',F8.2,' at ',
'cross-section 1')
33 FORMAT(//5X,'COMPUTER RESULTS are based upon SUPERCRITICAL flow',
'model with assumed',/5X,
'control water surface elevation(feet) = ',F8.2,' at ',
'cross-section ',I2)
WRITE(NT,40)
40 FORMAT(//5X,'Special notation given in the computer results are',
' as follows',/10X,
'(1) SECT.....the section number appears in the first column',
/23X,'whenever the energy-balance channel location occurs',
/23X,'at one of the defined channel cross-sections',/10X,
'(2) FLOOD.....this word appears in the second column whenever ',
'the',/23X,'estimated flowdepth exceeds either bank of the',/23X,
'channel section',/10X,
'(3) EB.....the energy balance number is listed in ',
'column 3',/10X,
'(4) P+M.....the pressure-plus-momentum (in pounds',
' force)',/23X,'is provided in columns 10 and 11',/10X,
'(5) STEEP.....this word appears in the last column whenever the',
/23X,'Channel Critical Depth exceeds the Normal Depth',/10X,
'(6) MILD.....this word appears in the last column whenever the',
/23X,'Channel Critical Depth is less then the computed',/23X,
'Normal Depth.')
```

```

C
C RETURN
END
C-----
SUBROUTINE PROF6(NT,THEAD,ICOM,IFILE)
C-----
CHARACTER BUFF1*9,BUFF2*8
COMMON/BLK 1/X(50,20),Y(50,20),NFL(50),M(50)
COMMON/BLK 2/DISTS(50),ALPHA(50),XMAN(50),EDDY(50)
COMMON/BLK 3/TOL,Q,N,DIST(200),NE,KMODEL
COMMON/MISC/IFP
C.....OUTPUT CROSS-SECTIONS
C
C WRITE(NT,10)IFP
FORMAT(1X,A1)
WRITE(NT,4)
4 FORMAT(1X,76(' '))
WRITE(NT,5)
5 FORMAT(1X,76('* '))
C
C WRITE(NT,161)
C
C WRITE(NT,6)
WRITE(NT,7)
7 FORMAT(5X,'CROSS-SECTION INFORMATION:')
```

```

WRITE(NT,6)
WRITE(NT,7)
7 FORMAT(5X,'CROSS-SECTION INFORMATION:')
```

```

DO 50 K=1,N
WRITE(NT,20)K,XMAN(K),ALPHA(K),EDDY(K),DISTS(K)
FORMAT(5X,'INFORMATION FOR CROSS-SECTION NUMBER:',I3,/,
5X,'MANNINGS FRICTION FACTOR = ',F6.5,/,
5X,'KINETIC ENERGY CORRECTION FACTOR = ',F5.3,/,
5X,'EDDY LOSS FACTOR = ',F5.3,/,
5X,'DISTANCE(ft.) TO CROSS-SECTION #1 = ',F8.2,/)
MM=M(K)
WRITE(NT,25)
25 FORMAT(5X,'NODAL POINT COORDINATE INFORMATION:'),/,
5X,'NODE NO.',5X,'X(ft.)',4X,'Y(elev.)')
DO 30 KK=1,MM
WRITE(NT,31)KK,X(K,KK),Y(K,KK)
31 FORMAT(7X,I3,7X,F7.2,5X,F7.2)
30 CONTINUE
WRITE(NT,6)
6 FORMAT(1X,76(' '))
8 FORMAT(1X,76('- '))
50 CONTINUE
WRITE(NT,163)
FORMAT(//)
WRITE(NT,60)
60 FORMAT(5X,'USER-SPECIFIED ENERGY-BALANCE CHANNEL LOCATIONS: ',
/10X,'ENERGY BALANCE DISTANCE TO',/,
10X,' LOCATION NUMBER CROSS-SECTION #1')
```

```

WRITE(NT,61)(I,DIST(I),I=1,NE)
61 FORMAT(18X,I2,13X,F8.2)
WRITE(NT,6)
CONTINUE
C
C FORMATS
C
161 FORMAT(13X,'IRREGULAR CHANNEL WATER SURFACE PROFILE COMPUTATION',
/7X,'FOR SUBCRITICAL (SUPERCRITICAL) FLOW BY THE STANDARD STEP ',
'METHOD',/5X,
'REP.'OPEN CHANNEL FLOW HYDRAULICS',V.T.CHOW,MCGRAW-HILL.',
' (1959)')
```

```

162 FORMAT(1X,76(' '))
C
C RETURN
END
```

(AES):
Irregular Channel
Subcritical Flow
Analysis

Study Name _____ Page Number _____

The following study is based on the well known STANDARD STEP METHOD to analyze subcritical flow in an irregular channel. Energy-head losses and corresponding notation used in the program are as follows:

- FRICITION LOSSES: n = Mannings friction parameter
- EDDY LOSSES: e = eddy loss coefficient
- KINETIC ENERGY CORRECTION FACTOR: a = correction factor

The PROGRAM determines subcritical flow water surface elevations by balancing the classical energy equation between specified channel locations. All geometric and parameter information is averaged between defined channel cross-sections by straight-line interpolation.

THE ONLY LOSSES INCLUDED ARE FRICTION AND EDDY LOSSES. The analysis formulation and presentation of results follow the development given in "OPEN CHANNEL HYDRAULICS", by Chow(1959).

The PROGRAM will default to a minimum flow-depth of CRITICAL DEPTH, where the Froude number (Fr) equals one (1). Therefore, supercritical water surface information is not computed in this program. In reaches of supercritical flow, critical depth is assumed as a minimum flow depth which exceeds the actual supercritical flowdepth in the channel.

For this study, the following information is used:

- Channel flow(cfs) = 1000.0
- Number of channel cross-sections = 4
- Number of Energy-Balance locations = 11

Special notation given in the computer results are as follows:

- (1) FLOOD...this word appears in the first column whenever the estimated flowdepth exceeds either bank of the channel section.
- (2) STEEP...this word appears in the last column whenever the channel Critical Depth exceeds the Normal Depth. Because this program is intended only for subcritical flow, supercritical flow is modeled with flowdepths equal to or greater than Critical depth. This simplification results in conservative channel flowdepth estimations. However, supercritical flow effects including hydraulic jumps are NOT MODELED ACCURATELY.
- (3) SECTION...this word appears in the second column whenever the energy-balance channel location occurs at one of the defined channel cross-sections.

CROSS-SECTION INFORMATION:

INFORMATION FOR CROSS-SECTION NUMBER: 1
MANNINGS FRICTION FACTOR = .03000
KINETIC ENERGY CORRECTION FACTOR = 1.100
EDDY LOSS FACTOR = .000
DISTANCE(ft.) TO CROSS-SECTION #1 = .00

NODAL POINT COORDINATE INFORMATION:

NODE NO.	X(ft.)	Y(elev.)
1	.00	110.00
2	20.00	100.00
3	25.00	100.00
4	45.00	110.00

INFORMATION FOR CROSS-SECTION NUMBER: 2
MANNINGS FRICTION FACTOR = .03000
KINETIC ENERGY CORRECTION FACTOR = 1.100
EDDY LOSS FACTOR = .000
DISTANCE(ft.) TO CROSS-SECTION #1 = 500.00

NODAL POINT COORDINATE INFORMATION:

NODE NO.	X(ft.)	Y(elev.)
1	.00	112.00
2	19.00	102.50
3	22.00	103.00
4	46.00	111.00

INFORMATION FOR CROSS-SECTION NUMBER: 3
MANNINGS FRICTION FACTOR = .03000
KINETIC ENERGY CORRECTION FACTOR = 1.100
EDDY LOSS FACTOR = .000
DISTANCE(ft.) TO CROSS-SECTION #1 = 850.00

NODAL POINT COORDINATE INFORMATION:

NODE NO.	X(ft.)	Y(elev.)
1	.00	135.10
2	34.00	123.75
3	37.00	125.00
4	77.00	135.00

INFORMATION FOR CROSS-SECTION NUMBER: 4
MANNINGS FRICTION FACTOR = .03000
KINETIC ENERGY CORRECTION FACTOR = 1.100
EDDY LOSS FACTOR = .000
DISTANCE(ft.) TO CROSS-SECTION #1 = 1000.00

NODAL POINT COORDINATE INFORMATION:

NODE NO.	X(ft.)	Y(elev.)
1	.00	136.00
2	34.50	124.50
3	37.50	127.00
4	82.50	136.00

USER-SPECIFIED ENERGY-BALANCE CHANNEL LOCATIONS:

ENERGY BALANCE LOCATION NUMBER	DISTANCE TO CROSS-SECTION #1
1	100.00
2	200.00
3	300.00
4	400.00
5	500.00
6	600.00
7	700.00
8	800.00
9	850.00
10	900.00
11	1000.00

*** (AES): IRREGULAR CHANNEL SUBCRITICAL FLOW MODEL ***
Standard Step Method irregular channel analysis. Based on development in "OPEN CHANNEL HYDRAULICS", CHOW(1959)
STUDY NAME: Channel Flow = 1000.00 cfs PAGE NUMBER:

LENGTH from CONTROL	WATER SURFACE (elev.)	FLOW DEPTH (ft)	FLOW AREA (ft*ft)	FLOW V (Eps)	2 av / 2g (ft)	TOTAL HEAD (ft)	HYDR RADIUS (ft)	FRICTION SLOPE SF	AVERAGE REACH SF	REACH LENGTH (ft)	LOSS HF (ft)	EDDY LOSS (ft)	TOTAL HEAD (ft)	Fr
.0	105.91	5.91	99.4	10.06	1.729	107.639	3.16	.008885					107.639	1.00
					a=1.10			n= .0300						GIVEN
100.0	107.21	6.71	123.5	8.10	1.121	108.335	3.47	.005061	.006973	100.0	.697	.00	108.336	.77
					a=1.10			n= .0300				e= .00		
200.0	107.73	6.73	123.6	8.09	1.119	108.845	3.42	.005155	.005108	100.0	.511	.00	108.846	.78
					a=1.10			n= .0300				e= .00		
300.0	108.26	6.76	124.4	8.04	1.105	109.362	3.38	.005177	.005166	100.0	.517	.00	109.362	.78
					a=1.10			n= .0300				e= .00		
400.0	108.79	6.79	125.4	7.97	1.087	109.880	3.34	.005171	.005174	100.0	.517	.00	109.879	.78
					a=1.10			n= .0300				e= .00		
500.0	109.33	6.83	126.5	7.91	1.068	110.398	3.30	.005158	.005164	100.0	.516	.00	110.397	.78
					a=1.10			n= .0300				e= .00		
600.0	114.63	6.06	105.4	9.49	1.538	116.170	2.89	.008861	.007009	100.0	.701	.00	111.099	*1.00
					a=1.10			n= .0300				e= .00		STEEP
700.0	120.62	5.98	107.4	9.31	1.482	122.106	2.81	.008875	.008868	100.0	.887	.00	117.057	*1.00
					a=1.10			n= .0300				e= .00		STEEP
800.0	126.62	5.91	109.3	9.15	1.431	128.054	2.73	.008892	.008884	100.0	.888	.00	122.994	*1.00
					a=1.10			n= .0300				e= .00		STEEP
850.0	129.63	5.88	110.3	9.06	1.404	131.032	2.70	.008866	.008879	50.0	.444	.00	128.498	*1.00
					a=1.10			n= .0300				e= .00		STEEP
900.0	130.24	6.24	119.3	8.38	1.200	131.438	2.76	.007355	.008110	50.0	.406	.00	131.437	.91
					a=1.10			n= .0300				e= .00		
1000.0	130.98	6.48	118.4	8.45	1.220	132.202	2.65	.007902	.007628	100.0	.763	.00	132.201	.93
					a=1.10			n= .0300				e= .00		